

Collegedunia NCERT Formula Sheet

The Ultimate Formula Reference for Class 12 Physics

Chapter 14: Semiconductor Electronics

Quantity / Material	Value
Band gap, E_g (Si, 300 K)	1.12 eV
Band gap, E_g (Ge, 300 K)	0.67 eV
Band gap, E_g (GaAs)	1.43 eV
Diamond (insulator) E_g	~ 6 eV
Si intrinsic n_i (300 K)	$\sim 1.5 \times 10^{16} / \text{m}^3$
Diode forward voltage (Si)	~ 0.7 V
Diode forward voltage (Ge)	~ 0.3 V

1 Energy Bands in Solids

In a single atom, electrons occupy discrete levels. In a solid, these levels broaden into **bands**. The width of the gap between the last filled band and the next empty one classifies materials as conductors, semiconductors, or insulators (NCERT 14.2).

Three classes of solids

Conductor: valence and conduction bands **overlap** ($E_g = 0$). Free electrons available at any temperature. Examples: Cu, Ag.

Semiconductor: small gap ($E_g \leq 3$ eV). Few thermally excited electrons at room temperature. Examples: Si ($E_g = 1.1$ eV), Ge ($E_g = 0.7$ eV).

Insulator: large gap ($E_g > 3$ eV). Almost no thermal excitation. Examples: diamond

($E_g \approx 6$ eV).

Effect of temperature

Conductors: resistance **rises** with T (more lattice scattering).

Semiconductors / insulators: resistance **falls** with T (more carriers thermally promoted across the gap).

This opposite temperature behaviour is the standard test to distinguish a semiconductor from a metal.

2 Intrinsic & Extrinsic Semiconductors

A pure semiconductor has equal numbers of electrons and holes; doping shifts this balance

to make n-type or p-type material (NCERT 14.3–14.4).

Intrinsic semiconductor

$$n_e = n_h = n_i$$

In a pure (intrinsic) Si or Ge crystal, every thermally broken bond produces **one** electron and **one** hole. n_i depends strongly on T and E_g : $n_i \propto T^{3/2} \exp(-E_g/2k_B T)$.

Doping

n-type: dope Si (group IV) with a **group-V** atom (P, As, Sb). Each donor atom contributes **one extra electron**. Majority: electrons. Minority: holes.

p-type: dope with a **group-III** atom (B, Al, Ga). Each acceptor atom creates **one extra hole**. Majority: holes. Minority: electrons.

Mass-action law

$$n_e n_h = n_i^2$$

Holds in any doped semiconductor at thermal equilibrium. Doping increases majority carriers and **decreases** minority carriers, keeping the product constant.

Conductivity

$$\sigma = e(n_e \mu_e + n_h \mu_h)$$

where μ_e, μ_h = electron and hole mobilities ($\text{m}^2/\text{V}\cdot\text{s}$).

Both electrons and holes contribute. In Si, $\mu_e \approx 0.135 \text{ m}^2/\text{V}\cdot\text{s}$; $\mu_h \approx 0.048 \text{ m}^2/\text{V}\cdot\text{s}$. Electrons are about $3 \times$ faster.

3 p-n Junction Diode

Joining p-type and n-type material creates a region depleted of mobile carriers — and a built-in electric field that controls one-way conduction (NCERT 14.5–14.6).

Formation of the depletion layer

At the junction, electrons from n-side diffuse into p-side and recombine with holes; holes diffuse the other way. This leaves a region of **exposed ionised dopants** on

each side — a **depletion layer** with no mobile carriers, only a built-in \vec{E} field. The resulting potential barrier V_b stops further diffusion in equilibrium.

Built-in barrier potential

Si: $V_b \approx 0.7 \text{ V}$; Ge: $V_b \approx 0.3 \text{ V}$

Width: $W \sim 1 \mu\text{m}$ (typical); falls with doping.

No external voltage source — arises from the diffusion-drift balance at equilibrium. The diode “wakes up” only when this barrier is crossed.

Forward bias

Apply $V > V_b$ with **p-side at higher potential**. The applied field opposes the built-in field; the depletion layer **narrows**; majority carriers cross easily. Current rises sharply once V exceeds V_b — the **knee voltage**. Diode acts like a closed switch.

Reverse bias

Apply V with **n-side at higher potential**. The applied field adds to the built-in field; depletion layer **widens**. Almost no majority current flows; only a tiny **reverse saturation current** from minority carriers. Beyond a critical V_z — breakdown — current rises catastrophically.

Diode equation

$$I = I_0 [e^{eV/k_B T} - 1]$$

where I_0 = reverse saturation current.

Strong asymmetry: $V > 0$ gives exponential growth; $V < 0$ saturates to $-I_0$. Captures the full I - V curve.

Dynamic resistance

$$r_d = \frac{\Delta V}{\Delta I}$$

Slope of V - I characteristic at the operating point. Forward biased ($V > V_b$): r_d is small (a few Ω). Reverse biased: r_d is enormous ($\text{M}\Omega$).

4 Rectifiers & Filtering

Diodes convert AC into pulsating DC. A capacitor across the load smooths the output (NCERT 14.7).

Half-wave rectifier

A single diode in series with the AC source and load. Conducts during **one half-cycle only**; blocks the other. Output is **pulsating DC** with $f_{\text{out}} = f_{\text{in}}$. Inefficient; uses only half the input.

Full-wave rectifier

Uses **two diodes** (with centre-tapped transformer) or **four diodes** in a bridge. Conducts during **both half-cycles**. Output: $f_{\text{out}} = 2f_{\text{in}}$. Twice as efficient as half-wave.

Output of rectifier (smoothed)

$$V_{\text{DC}} = V_m - V_{\text{ripple}}$$

For full-wave with capacitor filter C across load R : ripple shrinks as C rises ($V_{\text{ripple}} \propto 1/fRC$).

Capacitor charges to V_m during the peak, then slowly discharges through R until the next peak. Larger C or $R \Rightarrow$ smoother DC.

5 Special-Purpose Diodes

Diodes engineered for specific behaviours: voltage regulation, light emission, light detection, and energy conversion (NCERT 14.8).

Zener diode

Heavily doped diode designed to operate in **reverse breakdown**, where V stays nearly constant at V_z over a wide range of currents. Used as a **voltage regulator**: a Zener in parallel with the load holds the output at V_z even if the input or load fluctuates.

Photodiode

A reverse-biased p-n junction with a transparent window. Incident photons with $h\nu > E_g$ create electron-hole pairs in the de-

pletion region; the built-in field separates them, producing a photocurrent proportional to incident intensity. Used in **light meters, optical fibre receivers**.

Light-emitting diode (LED)

A heavily doped, forward-biased p-n junction. As electrons recombine with holes across the junction, they release energy as photons of $h\nu \approx E_g$. Material choice (E_g) sets the colour: GaAs (IR), GaP (red), GaN/InGaN (blue, white). Highly efficient compared to filament bulbs.

Solar cell

A large-area p-n junction operated **without external bias**. Sunlight creates electron-hole pairs; the built-in field separates them, and the current is collected by metal contacts. Generates a photovoltage V_{OC} and short-circuit current I_{SC} . Maximum efficiency for Si: $\sim 25\%$ in lab.

LED & photodiode wavelength relation

$$\lambda = \frac{hc}{E_g} = \frac{1240}{E_g (\text{eV})} \text{ nm}$$

An LED with $E_g = 2$ eV emits ~ 620 nm (orange). A photodiode with $E_g = 1.1$ eV (Si) detects up to ~ 1100 nm (near-IR).

JEE/NEET Extension: Choosing diode materials

Visible LED: need $E_g \approx 1.8\text{--}3.1$ eV \rightarrow GaAsP, GaP, GaN.

Solar cell: Si ($E_g = 1.1$ eV) is well-matched to the solar spectrum's peak.

Optical fibre: 1300–1550 nm windows \rightarrow InGaAs photodiodes.

The match between E_g and the photon energy is the design principle behind every optoelectronic device.

Bias direction

Forward: P at + and N at – (**P**ositive-**P**-side).

Reverse: P at – and N at +.

Forward biased \Rightarrow depletion narrows \Rightarrow current flows.

Reverse biased \Rightarrow depletion widens \Rightarrow no current (until breakdown).

Doping does not change conductivity type

A pure (intrinsic) semiconductor has equal $n_e = n_h$ but is **still electrically neutral**. Doping creates **majority carriers** but the crystal as a whole **remains neutral** (the donor/acceptor ions balance). Don't confuse "n-type" with "negatively charged".

Quick Reference — Semiconductor Electronics

Quantity / Concept	Expression	Notes
Band gap (Si / Ge)	1.1 / 0.7 eV	At 300 K
Intrinsic relation	$n_e = n_h = n_i$	Pure semiconductor
Mass-action law	$n_e n_h = n_i^2$	Always at equilibrium
Conductivity	$e(n_e \mu_e + n_h \mu_h)$	Both carriers
Built-in barrier (Si)	$\sim 0.7 \text{ V}$	Knee voltage
Built-in barrier (Ge)	$\sim 0.3 \text{ V}$	Smaller E_g
Diode equation	$I_0 [e^{eV/k_B T} - 1]$	Asymmetric
Dynamic resistance	$\Delta V / \Delta I$	Forward: small
Half-wave f_{out}	f_{in}	Single diode
Full-wave f_{out}	$2f_{\text{in}}$	Bridge or centre-tap
LED / photodiode λ	$\frac{1240}{E_g} \text{ nm}$	For E_g in eV
Zener regulator	$V_{\text{out}} = V_z$	Reverse breakdown
Doping (n-type)	Group-V donor	Majority: electrons
Doping (p-type)	Group-III acceptor	Majority: holes