



# Collegedunia NCERT Formula Sheet

Class 12 Biology (12th) — NCERT 2026-27 / Latest Edition

## Chapter 11: Organisms and Populations

Quantitative ecology — abiotic factors, population attributes, growth equations, life-table arithmetic, interactions

Also see for this chapter: [NCERT Solutions](#) | [Revision Notes](#) | [Exemplar Solutions](#)

### Chapter-Wide Key Quantitative Reference

Parameter / Symbol	Typical Value / Range	Biological Significance
Avg. solar constant at top of atmosphere	$\approx 1361 \text{ W/m}^2$	Drives temperature & photosynthesis budgets
Thermal tolerance of most organisms	$0\text{--}45^\circ\text{C}$	Eurythermal vs stenothermal classification
Salinity of fresh water / sea / hypersaline	$< 5 / 30\text{--}35 / > 100$ parts per thousand (ppt)	Euryhaline vs stenohaline classification
Hot springs / hydrothermal vents (Archaea)	up to $100\text{--}115^\circ\text{C}$	Thermophiles — enzymes are heat-stable
Polar / deep-sea / cold (psychrophiles)	$< 5^\circ\text{C}$	Membrane lipids stay fluid
Human body core temperature	$\approx 37^\circ\text{C} (\pm 0.5)$	Endothermic regulator
Allen's rule (mammals)	Polar mammals: shorter ears & limbs	Reduces surface area $\Rightarrow$ less heat loss
Kangaroo rat water budget	meets all need via internal fat oxidation	Extreme conformer-to-regulator adaptation
Population growth rate symbol $r$	$r = b - d$ (per capita; per individual per unit time)	Intrinsic rate of natural increase
Carrying capacity symbol $K$	habitat-specific maximum sustainable $N$	Asymptote of logistic curve
Sex ratio (humans, ideal)	$\approx 1:1$	Departures flag selective pressures
Age-pyramid classes	pre-reproductive / reproductive / post-reproductive	Shape predicts future $N$

## 1 11.1 Organism and Its Environment

This section frames **ecology** as the study of organism–environment interactions across four levels (organism, population, community, biome), and lists the major abiotic factors — temperature, water, light, soil — with their quantitative ranges.

### Levels of biological organisation in ecology

Level	Definition
Organism	Individual; lowest level studied in ecology
Population	Group of <i>interbreeding</i> individuals of the same species in a defined area
Community	All populations of different species sharing a habitat
Biome	Major regional community defined by climate + vegetation (tundra, desert, etc.)

Each higher level emerges from the lower one. NCERT Ch 11 focuses on the first two; Ch 12 (Ecosystem) and Ch 13 (Biodiversity) cover the upper two.

### Major abiotic factors — ranges

Factor	Typical range / unit	Why it matters
Temperature	−70 to +115 °C on Earth	Sets enzyme kinetics; basal metabolic rate
Water (rain-fall)	< 25 cm/yr (desert) to > 200 cm/yr (rainforest)	Limits productivity; defines biomes
Salinity	< 5 ppt (fresh) to > 100 ppt (hyper-saline)	Drives osmoregulation
Light (PAR)	0 to ~ 2000 $\mu\text{mol}/\text{m}^2/\text{s}$	Photosynthesis ceiling; photoperiod cues
Soil pH	~ 3 (peat) to ~ 10 (saline)	Nutrient availability; microbial activity

Each factor has a **tolerance range** (the band an organism can survive in) and an **optimum** (the band of peak performance). Organisms with wide ranges are prefixed **eury-**; narrow ranges, **steno-**.

### Habitat vs Niche — the textbook distinction

**Habitat** = the physical place an organism lives ('address'). **Ecological niche** = the functional role of the species in that habitat — the full set of conditions (temperature, food, refuge, time of activity) + resources it uses + impacts it has ('profession'). *Two species in the same habitat occupy different niches* (Gause's competitive exclusion). The niche includes both *fundamental* (entire range without competitors) and *realised* (actual range with competitors) niches.

**Eury- vs Steno- prefixes — quick decoder**

**Eury-** = wide range; **Steno-** = narrow range. Apply to any abiotic factor: **eurythermal** / **stenothermal** (temperature), **euryhaline** / **stenohaline** (salinity), **euryhydric** / **stenohydric** (water), **euryphagic** / **stenophagic** (food).

**2 11.2 Major Abiotic Factors & Responses**

Four named ways an organism can cope with a stressful abiotic factor — **regulate, conform, migrate, suspend** — with adaptations underpinning each.

**Four responses to abiotic stress**

<b>Response</b>	<b>Mechanism (with examples)</b>
Regulate	Maintain constant internal milieu by physiological / behavioural means. Birds + mammals + few invertebrates (homeostasis).
Conform	Internal state varies with the external. ~ 99% of animals + nearly all plants. Cheaper energetically, but range is narrower.
Migrate	Move away temporarily to a hospitable habitat. Siberian crane → Keoladeo NP.
Suspend	Halt activity until conditions improve. Bears <b>hibernate</b> (winter); snails / fish <b>aestivate</b> (summer); zooplankton enter <b>diapause</b> ; bacteria / fungi / plants form <b>spores / seeds / thick-walled cysts</b> .

Strategy choice depends on size, mobility, and energy budget. Small organisms rarely regulate — the surface-to-volume ratio makes heat / water loss prohibitive.

**Surface-area-to-volume scaling — why size matters**

For a sphere of radius  $r$ :  $S = 4\pi r^2$ ,  $V = \frac{4}{3}\pi r^3$

$$\frac{S}{V} = \frac{3}{r}$$

**Smaller body**  $\Rightarrow$  **larger  $S/V$**   $\Rightarrow$  **faster heat & water loss** per unit mass. This is why tiny endotherms (shrews, hummingbirds) need enormous food intake and why polar mammals are large (**Bergmann's rule**) with short ears & limbs (**Allen's rule**).

**Altitude sickness — atmospheric  $p_{O_2}$** 

$$p_{O_2}(\text{altitude}) = 0.21 \times P_{\text{atm}}(\text{altitude})$$

Sea level:  $P \approx 101 \text{ kPa} \Rightarrow p_{O_2} \approx 21.2 \text{ kPa}$ .

At 3500 m:  $P \approx 65 \text{ kPa} \Rightarrow p_{O_2} \approx 13.7 \text{ kPa}$  (~ 65% of sea-level).

Lowland visitor at altitude experiences **altitude sickness** (nausea, fatigue). The body acclimatises by raising **RBC count, breathing rate** and lowering haemoglobin's affinity for  $O_2$  so that more is released to tissues.

### Adaptations — definition & examples

An **adaptation** is any morphological, physiological, or behavioural attribute that boosts survival or reproduction in a habitat. Examples: *kangaroo rat* (Arizona) survives without drinking — meets all water need by metabolic oxidation of fat. *Desert plants* use **CAM photosynthesis** (stomata open at night) + thick cuticles + sunken stomata + spines instead of leaves. *Mammals in cold climates* use **blubber, fur, smaller ears** (Allen's rule), and *larger body size* (Bergmann's rule). *Fish at  $\geq 500\text{ m depth}$*  have specialised enzymes and gas-filled bladders that withstand pressure.

### Regulator vs Conformer — watch the % claim

NCERT states “**99%** of animals and nearly all plants are conformers.” Only birds, mammals, and a few lower vertebrates / invertebrates are **regulators**. Don't claim “all mammals are regulators” as the converse of conformers — conformers vastly outnumber regulators.

## 3 11.3 Population Attributes

A **population** is more than the sum of its parts — it has *group-level attributes* that no individual can possess. Densities are estimated, rates are per capita, and age structures are graphed as pyramids.

### Population density — definition & estimators

#### Density:

$$D = \frac{N}{A}$$

where  $N$  = number of individuals;  $A$  = area (or volume).

**Per cent cover:** when counting is impractical (e.g. banyan dominating a community), use the proportion of ground covered.

**Relative density** (proxy): trap counts per night, dung pellets per square, fish catch per net haul — valid for comparison even without absolute  $N$ .

Sometimes **biomass** is more meaningful than count — **200** *Lantana* bushes weigh less than **1** giant banyan, so the banyan “dominates” though density is lower.

### Natality (birth) and mortality (death) rates

**Crude birth rate** (per capita):  $b = \frac{B}{N \cdot \Delta t}$

**Crude death rate** (per capita):  $d = \frac{D}{N \cdot \Delta t}$

where  $B, D$  = total births / deaths during interval  $\Delta t$ ;  $N$  = average population during  $\Delta t$ .

**NCERT worked example (lotus pond):** 20 adults in  $t = 0$ , 8 new lotuses produced over a week  $\Rightarrow b = 8/20 = 0.4$  offspring per lotus per week.

Per capita rates remove population-size bias — 8 births among 20 vs 8 among 200 tell very different stories.

**Sex ratio and age distribution**

**Sex ratio** = (# females) : (# males), or as % females. Departures from **1:1** signal selection, infanticide, or differential mortality.

**Age distribution** = % of  $N$  in each age class. Three classes in NCERT: pre-reproductive (PR), reproductive (R), post-reproductive (P).

**Plotted as an age pyramid:**

*Expanding* — broad PR base, narrow apex  $\Rightarrow$  growing  $N$

*Stable* — vertical sides  $\Rightarrow$  steady  $N$

*Declining* — narrow PR base, wide R/P  $\Rightarrow$  shrinking  $N$

Age structure is a **predictor of the next generation's size** — a broad pre-reproductive base guarantees future growth even if today's  $r$  is small.

**Four population attributes — one-look summary**

Attribute	Definition / formula
Density ( $N/A$ )	Individuals per unit area / volume
Birth rate ( $b$ )	Per capita births per unit time
Death rate ( $d$ )	Per capita deaths per unit time
Sex ratio	Females : males (or % females)
Age distribution	% in each age class (pre-, reproductive, post-reproductive)

These five together let you write the population equation in the next section —  $N$  at  $t + 1$  depends on density, both rates, sex ratio, and the age pyramid.

**Birth rate  $\neq$  change in population**

A high birth rate does not guarantee population growth — death rate may be equally high. *Per capita growth rate*  $r = b - d$  is the controlling quantity. If  $b = d$ ,  $N$  is constant; if  $b < d$ ,  $N$  shrinks.

**4 11.4 Population Growth — Equations**

Two textbook models drive this whole chapter. **Exponential growth** is the unconstrained ideal — resources unlimited. **Logistic growth** is what real populations follow once they bump into the carrying capacity  $K$ .

**Population change equation — master form**

$$N_{t+1} = N_t + (B + I) - (D + E)$$

where  $N_t$  = population at time  $t$ ;  $B$  = births;  $I$  = immigrants;  $D$  = deaths;  $E$  = emigrants (all during  $[t, t + 1]$ ).

$B$  and  $I$  add;  $D$  and  $E$  subtract. In closed populations  $I = E = 0$ , leaving only  $B - D$  — the basis for the per-capita rate  $r$ .

**Intrinsic rate of natural increase,  $r$** 

$$r = b - d \quad (\text{per capita; units: per individual per unit time})$$

Continuous-time growth:

$$\frac{dN}{dt} = (b - d)N = rN$$

$r$  is the **intrinsic** rate of natural increase — a hallmark of the species in a given habitat. Norway rat:  $r \approx 0.015$ ; flour beetle:  $r \approx 0.12$ ; human (1981, India):  $r \approx 0.0205$ .

**Exponential (geometric) growth — no resource limit**

**Differential form:**

$$\frac{dN}{dt} = rN$$

**Integrated form:**

$$N_t = N_0 e^{rt}$$

where  $N_0$  = population at  $t = 0$ ;  $e \approx 2.71828$  (Euler's number).

**Doubling time:**

$$t_2 = \frac{\ln 2}{r} \approx \frac{0.693}{r}$$

Plot of  $N$  vs  $t$  is a **J-shaped curve**. Holds only briefly — food, space, or competitors eventually cap growth. The integrated form is critical for predicting bacterial / pest population sizes.

**Logistic (Verhulst–Pearl) growth — resource-limited**

$$\frac{dN}{dt} = rN \left( \frac{K - N}{K} \right)$$

where  $K$  = carrying capacity (max  $N$  the habitat can sustain).

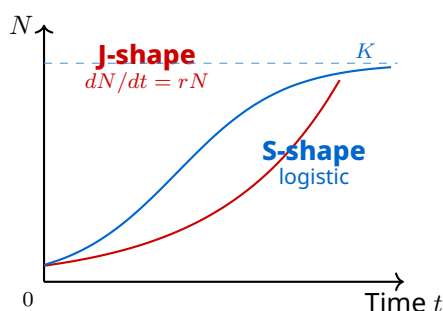
**Integrated form:** 
$$N_t = \frac{K}{1 + \left( \frac{K - N_0}{N_0} \right) e^{-rt}}$$

Plot of  $N$  vs  $t$  is a **sigmoid (S-shaped) curve**: slow start → near-exponential mid-phase → asymptotic plateau at  $K$ . The factor  $(K - N)/K$  is **environmental resistance** — it drops to 0 as  $N \rightarrow K$ , halting growth.

## Exponential vs Logistic — side-by-side

Property	Exponential	Logistic
Equation	$dN/dt = rN$	$dN/dt = rN(K - N)/K$
Integrated form	$N_t = N_0 e^{rt}$	sigmoid (see above)
Resources	Unlimited	Limited ( $K$ finite)
Curve shape	<b>J-shaped</b>	<b>S-shaped (sigmoid)</b>
Long-term $N$	$\rightarrow \infty$	$\rightarrow K$ asymptote
Realism	Brief windows only	More realistic for real ecosystems

NCERT calls the logistic model “more realistic” because no real habitat has unlimited resources — food, light, water, and territory always cap  $N$  at some  $K$ .



**J vs S curves.** Exponential (red) climbs without bound; logistic (blue) plateaus at carrying capacity  $K$ .

### JEE/NEET extension — inflection point of logistic curve

The sigmoid's **inflection point** (steepest slope) sits at  $N = K/2$ , where  $dN/dt = rK/4$  is the **maximum sustainable yield** (used in fisheries / forestry). Harvesting a population at  $N = K/2$  removes individuals at the population's fastest replacement rate.

### JEE/NEET extension — $r, K$ selection

**$r$ -selected** species: small body, short life, many small offspring, little parental care, high  $r$  (insects, weeds, bacteria).  **$K$ -selected** species: large body, long life, few large offspring, parental care, density near  $K$  (elephants, whales, humans). Tradeoff between **quantity** and **quality** of offspring.

### $r$ is a per-capita rate — don't multiply by $N$ twice

$r$  is defined as  $b - d$  per individual per unit time. When writing  $dN/dt = rN$ , the  $N$  is the total population. Do NOT plug in  $r \times N$  for  $b$  and again multiply by  $N$  — you'll double-count and end up with  $dN/dt = rN^2$ . Same caution applies inside the logistic term  $rN(K - N)/K$  — the factor  $(K - N)/K$  is dimensionless.

### J vs S — 5-second recall

**"J = Just go!"** — unlimited resources, climbs forever.

“S = Slows at K” — the S literally sits down at the top, touching the carrying-capacity ceiling.

## 5 11.5 Life History & Life-Table Arithmetic

Evolution shapes **life-history traits** (when to breed, how many offspring, how often) to maximise lifetime reproductive output (fitness). Life tables condense survivorship + fecundity data; the net reproductive rate  $R_0$  summarises both.

### Life-history traits — evolved by natural selection

Traits selected for maximum Darwinian **fitness** ( $R_0$  or  $r$ ):

- Age at first reproduction (early vs late)
- Number of reproductive events — **semelparous** (one-shot: Pacific salmon, bamboo) vs **iteroparous** (repeated: humans, birds)
- Number of offspring per event (few large vs many small)
- Parental care (yes vs no)

No single combination is “best” — each is optimised by selection for the habitat. Oysters spawn millions of small eggs; great apes have one large offspring with years of care.

### Life-table columns — standard symbols

#### Symbol Meaning

$x$	Age class (e.g. 0–1 yr, 1–2 yr, ...)
$n_x$	Number alive at start of age $x$
$l_x$	Survivorship from birth to age $x$ , $l_x = n_x/n_0$
$d_x$	Deaths during age $x$ , $d_x = n_x - n_{x+1}$
$q_x$	Age-specific mortality, $q_x = d_x/n_x$
$m_x$	Per-capita fecundity (offspring per individual in age $x$ )
$l_x m_x$	Realised reproduction (survivors $\times$ fecundity)

Life tables read top-to-bottom for one cohort. They are the bread-and-butter quantitative tool of demography.

### Net reproductive rate, $R_0$

$$R_0 = \sum_{x=0}^{\infty} l_x m_x$$

**Interpretation:** expected lifetime number of female offspring per newborn female.

**Decision rule:**

$R_0 > 1 \Rightarrow$  population **grows**

$R_0 = 1 \Rightarrow$  population **stable**

$R_0 < 1 \Rightarrow$  population **declines**

$R_0$  collapses survivorship  $\times$  fecundity into a single number — the demographic “bottom line.” It is the discrete-generation equivalent of  $r$  in the differential model.

## Survivorship curves — three types

Type	Shape & example
Type I	High survival in young + middle ages; sharp drop in old age. <i>Humans, large mammals.</i>
Type II	Constant mortality rate at every age (linear when $l_x$ plotted on log). <i>Birds, small mammals, hydra.</i>
Type III	Heavy juvenile mortality; survivors live long. <i>Oysters, fish, most invertebrates with many small offspring.</i>

NCERT shows Type I and Type III as the two textbook extremes; Type II is the linear middle case. Plot is **log**  $l_x$  vs age  $x$  — curves differ in shape, not just scale.

JEE/NEET extension — generation time  $T$  and  $r$  link

$$\text{Mean generation time: } T = \frac{\sum x l_x m_x}{R_0}$$

$$\text{Approximate intrinsic rate: } r \approx \frac{\ln R_0}{T}$$

Lets you convert a life-table  $R_0$  into the continuous-time growth rate  $r$  used in  $dN/dt = rN$ . Useful for matching demography to growth-curve fits.

## 6 11.6 Population Interactions

Six named interactions are classified by the sign of fitness effect (+, −, 0) on each partner. Memorising the signs and the standard textbook example for each is the entire NEET footprint of this section.

## Interaction matrix — by sign of effect

Interaction	Sp. A	Sp. B	Textbook example
Mutualism	+	+	Lichen (alga + fungus); mycorrhiza; pollination
Competition	−	−	Galapagos finches vs Abingdon tortoise (Connell barnacles)
Predation	+	−	Lion-zebra; <i>Cactoblastis</i> moth- <i>Opuntia</i> cactus
Parasitism	+	−	Liver fluke; <i>Cuscuta</i> on hedge; cuckoo brood parasitism
Commensalism	+	0	Cattle egret + grazing cattle; barnacles on whales; orchid on mango
Amensalism	−	0	Penicillium suppressing bacteria; bread mold → <i>Staphylococcus</i> (rare in NCERT example list)

NCERT highlights five major types (mutualism, competition, predation, parasitism, commensalism). **Amensalism** is named but rarely tested.

**Gause's competitive exclusion principle**

**Statement:** two species competing for the same limiting resource cannot coexist indefinitely — the competitively inferior one is eliminated.

**Mathematical version (Lotka-Volterra competition):**

$$\frac{dN_1}{dt} = r_1 N_1 \left( \frac{K_1 - N_1 - \alpha_{12} N_2}{K_1} \right)$$

$$\frac{dN_2}{dt} = r_2 N_2 \left( \frac{K_2 - N_2 - \alpha_{21} N_1}{K_2} \right)$$

where  $\alpha_{12}, \alpha_{21}$  = competition coefficients.

Connell's barnacle experiment on Scotland's coast: in absence of *Balanus*, *Chthamalus* expanded into the lower intertidal — a direct demonstration that one species kept the other out by competition.

**Predator-prey Lotka-Volterra equations**

$$\frac{dN}{dt} = rN - aNP \quad (\text{prey})$$

$$\frac{dP}{dt} = b aNP - mP \quad (\text{predator})$$

where  $N$  = prey,  $P$  = predator;  $r$  = prey intrinsic rate;  $a$  = capture efficiency;  $b$  = predator conversion efficiency;  $m$  = predator death rate.

Solutions are **coupled oscillations** — prey peak first, predator peak follows, then prey crash, then predator crash. Lynx-hare 9-10 yr cycle in Canada is the classic field example.

**Defences against predation & herbivory**

Group	Strategy
Prey animals	Camouflage (cryptic colour), warning colouration (Monarch butterfly), mimicry, hard shells, spines
Plants	Thorns ( <i>Acacia</i> , cactus); chemicals — nicotine, caffeine, quinine, strychnine, opium, cardiac glycosides; calotropin ( <i>Calotropis</i> ) which is so toxic that cattle never browse on it

Plants cannot run — chemical defence has evolved as the dominant strategy. About **25% of all prescription drugs** are originally plant antiherbivore compounds.

**Brood parasitism — the cuckoo example**

**Cuckoo** (*Cuculus* sp.) lays eggs in the nest of a **host** (e.g. crow) and lets the host incubate them.

**Coevolved trickery:** cuckoo egg matches host's egg in size and colour to escape detection.

One of the cleanest natural-selection demonstrations — hosts that detect-and-reject mismatched eggs select for ever-better mimicry by the parasite, fuelling a coevolutionary arms race.

**Mutualism — three textbook examples**

**Lichen** = mutualism of alga (or cyanobacterium) + fungus.

**Mycorrhiza** = fungus (*Glomus* etc.) wrapping plant root — fungus gets sugars, plant gets P and trace nutrients.

**Pollination** = flowering plant (*Ophrys*, fig) + animal pollinator (bee, fig wasp). Fig + fig wasp is obligate — neither survives without the other.

**Commensalism — three textbook examples**

**Cattle egret + grazing cattle:** cattle stir up insects, egret eats them; cattle unaffected.

**Barnacles on whale skin:** barnacles get transport + food-rich water; whale unaffected.

**Orchids on mango tree:** orchid gets a perch; mango unaffected.

**JEE/NEET extension — coevolution case study**

**Fig-fig wasp obligate mutualism:** each fig species is pollinated by a single wasp species. The wasp lays eggs only inside that fig's flower; the larvae feed on developing seeds but leave enough for fig propagation. Loss of either species causes loss of the other — classic **species-specific coevolution**.

**JEE/NEET extension — *Ophrys* sexual deception**

The Mediterranean orchid *Ophrys* mimics the female of a specific bee species in both shape and **pheromone**. Male bee attempts to copulate (**pseudocopulation**) and ends up carrying pollen to the next flower. When the bee evolves to ignore the deception, the orchid's pollination crashes — a striking demonstration of **coevolutionary mimicry**.

**Commensalism vs Mutualism — the sign test**

Commensalism = one benefits, the other is **unaffected** (+, 0). Mutualism = **both** benefit (+, +). The orchid-mango pair is commensalism (mango unchanged); the fig-wasp pair is mutualism (both depend on each other). The defining test is whether the "unaffected" partner truly has zero net fitness effect.

**Six interactions — sign-string mnemonic**

**"MC-PPC-A"** with sign string (+, +, −, −, +, −, +, −, +0, −0):

**M**utualism (+, +) | **C**ompetition (−, −) | **P**redation (+, −) | **P**arasitism (+, −) | **C**ommensalism (+, 0) | **A**mensalism (−, 0).

Five tested: drop amensalism if running out of time in MCQ.

[Read the Full Revision Notes](#)

## Quick Reference — All Equations & Symbols

Concept	Equation / Symbol	Where
Population change	$N_{t+1} = N_t + (B + I) - (D + E)$	§11.4
Per capita birth rate	$b = B/(N \cdot \Delta t)$	§11.3
Per capita death rate	$d = D/(N \cdot \Delta t)$	§11.3
Intrinsic rate of increase	$r = b - d$	§11.4
Exponential growth (diff.)	$dN/dt = rN$	§11.4
Exponential growth (integ.)	$N_t = N_0 e^{rt}$	§11.4
Doubling time	$t_2 = (\ln 2)/r \approx 0.693/r$	§11.4
Logistic growth (diff.)	$dN/dt = rN(K - N)/K$	§11.4
Logistic growth (integ.)	$N_t = K/[1 + ((K - N_0)/N_0) e^{-rt}]$	§11.4
Max sustainable yield	at $N = K/2$ , $dN/dt = rK/4$	§11.4
Density	$D = N/A$	§11.3
Surface-to-volume (sphere)	$S/V = 3/r$	§11.2
Partial $p_{O_2}$ at altitude	$p_{O_2} = 0.21 \times P_{\text{atm}}$	§11.2
Survivorship	$l_x = n_x/n_0$	§11.5
Age-specific mortality	$q_x = d_x/n_x$	§11.5
Net reproductive rate	$R_0 = \sum l_x m_x$	§11.5
Generation time (extension)	$T = (\sum x l_x m_x)/R_0$	§11.5
Approx. $r$ from life table	$r \approx (\ln R_0)/T$	§11.5
Competition (Lotka-Volterra)	$dN_1/dt = r_1 N_1 (K_1 - N_1 - \alpha_{12} N_2)/K_1$	§11.6
Predator-prey (prey)	$dN/dt = rN - aNP$	§11.6
Predator-prey (predator)	$dP/dt = b aNP - mP$	§11.6

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